Draw a DFSM for each of the following languages

\( \Sigma = \{ a, b, c \} \)

- L1 = \{ \text{\( w \in \Sigma^* \) | \( w \) contains the substring acb} \}
- L2 = \{ \text{\( w \in \Sigma^* \) | every \( c \) in \( w \) is immediately followed by \( b \)} \}
- L3 = \{ \text{\( w \in \Sigma^* \) | \( w \) contains exactly 1 \( a \) and 1 \( b \)'s} \}
- L4 = \{ \text{\( w \in \Sigma^* \) | \( w \) contains both \( aa \) and \( cc \) as substrings} \}
- L5 = \{ \text{\( w \in \Sigma^* \) | \( w \) does not contain the substring \( cba \)} \}
- L6 = \{ \text{\( w \in \Sigma^* \) | \( w \) does not contain the substring \( babc \)} \}
- L7 = \{ \text{\( w \in \Sigma^* \) | all occurrences of \( a \) must consist of at least 2 \( a \)'s in a row} \}
- L8 = \{ \text{\( w \in \Sigma^* \) | \( w \) does contain neither \( aa \) or \( cc \) as substrings} \}
- L9 = \{ \text{\( w \in \Sigma^* \) | \( w \) contains exactly 2 \( b \)'s, separated by at least one different character} \}
- L10 = \{ \text{\( w \in \Sigma^* \) | every \( c \) is immediately followed by \( aa \)} \}
- L11 = \{ \text{\( w \in \Sigma^* \) | \( w \) begins with \( a \) and does not end with \( a \)} \}
- L12 = \{ \text{\( w \in \Sigma^* \) | \( w \) begins with \( cc \) and ends with \( aa \)} \}
- L13 = \{ \text{\( w \in \Sigma^* \) | \( w \) begins with \( a \) or \( b \) and ends with \( c \)} \}
- L14 = \{ \text{\( w \in \Sigma^* \) | \( w \) begins with \( a \) and ends with \( c \) or begins with \( c \) and ends with \( a \)} \}
- L15 = \{ \text{\( w \in \Sigma^* \) | every occurrence of \( bb \) is immediately followed by \( cc \)} \}